

# CONTACT-LESS ENERGY TRANSMISSION FOR MAGLEV

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**ABSTRACT:** High speed transportation systems (above 300 km/h), such as several Maglevs, cannot use anymore an electrical energy collector by catenary. A contact-less induction transmission becomes necessary. The proposed paper will first analyse the possible solutions for a permanent energy transfer system at any speed, including stationary. A model of the most efficient solution will be proposed. It will then be applied to the Swissmetro Maglev, in the case of motors on the ground. A specific software optimising the geometrical sizes, in particular the coil length, will be applied, in order to minimize investments and losses.

## 1. INTRODUCTION

Maglev transportation systems use two different electrical energy pick-up systems :

- Friction devices, classical or on the ground ;
- Contact-less induction principle.

In the last case, two realized solutions have been developed :

- The Transrapid system, using harmonics created by the slot variable permeance effect ;
- An auxiliary generator with a double coil system, on the vehicle, interacting with the track fixed coils, used on MLX (Fig 1 )

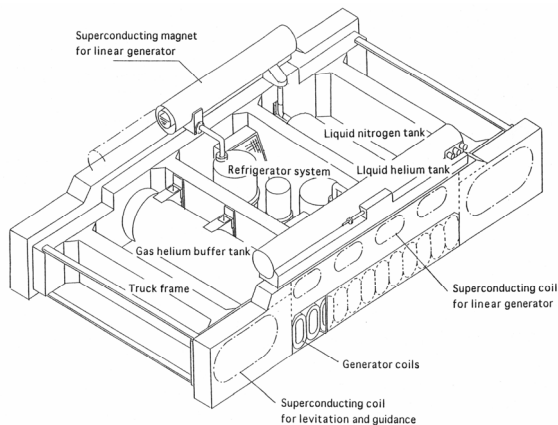


Figure 1: MLX double winding system for energy transmission

In both cases, if the solution is very simple and doesn't need any specific on-ground electronic device, the main drawback is the absence of energy transfer at standstill and low speed. The consequence is the necessity to have an important battery volume for these periods.

The presented solution, if needing more investment on ground is more simple on the vehicle, reducing its weight and volume. The present paper describes a modelisation and optimisation design process.

## 2. PRINCIPLE

The proposed principle is an ironless transformer with a fixed long coil with one turn and a secondary short coil with a number of turns depending on the required voltage.

The back EMF voltage in the secondary coil of a transformer is given by the following equations :

$$u_2 = N_1 N_2 \Lambda_{12} \cdot di_1 / dt$$

For a sinusoidal current, the rms values are:

$$U_2 = N_1 N_2 \Lambda_{12} \cdot \omega \cdot I_1$$

With:

$u_2$  = secondary voltage

$N_1$  = number of primary coil turns

$N_2$  = number of secondary coil turns

$\Lambda_{12}$  = mutual permeance

$$= \mu_0 \cdot S_a / l_{eqa}$$

$\mu_0$  = vacuum permeability

$S_a$  = winding air magnetic section

$l_{eqa}$  = air equivalent length  
 $i_1$  = primary current  
 $\omega = 2\pi f$  = pulsation

Increasing  $\omega$  allows to compensate the important reduction of  $\Lambda_{12}$  from iron magnetic circuit to air. It is also possible to increase the coil magnetic section  $S_a$  to compensate this effect.

Such a transformer can be represented by its equivalent scheme (Fig 2).

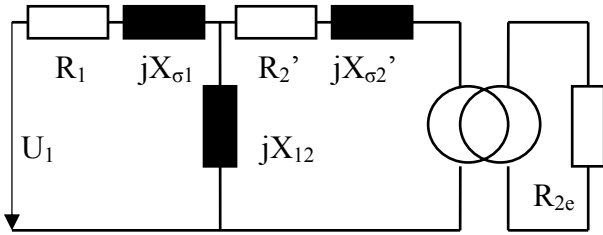


Figure 2: Air transformer equivalent scheme R = resistance, X = reactance

### 3. DESIGN PARAMETERS

The main design parameters are geometric : the coil lengths, widths, sections and their distance or air gap.

The number of turns is chosen equal to 1 ( $n_1 = 1$ ) for the primary fixed coil, which corresponds just to one closed loops.

The number of turns for the secondary coil depends on the wished voltage.

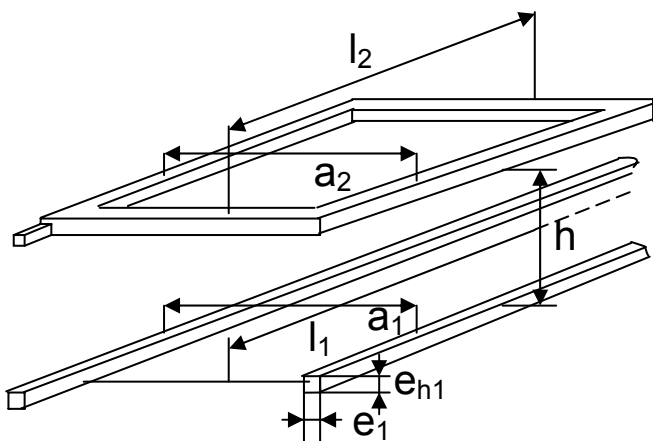


Figure 3: Energy transfer system – Coil geometry.

Thus, the main parameters defined by Figure 3 are:

- $l_1$  = primary coil length
- $l_2$  = secondary coil length  $l_1 \gg l_2$

- $a_1$  = primary coil width
- $a_2$  = secondary coil width
- $e_1$  = coil section width
- $e_2$  = coil 2 section width
- $e_{h1}$  = coil 1 section height
- $e_{h2}$  = coil 2 section height
- $d$  = distance between coils
- $n_1$  = primary coil number of turns = 1
- $n_2$  = secondary coil number of turns = 1

### 4. DESIGN METHODOLOGY

To design such energy transfer system, the following steps are applied :

- Determine the transformer parameters as a function of the geometry ; reference Macabrey 1998 is mainly used in the case of rectangular coils.
- Determine the function “cost” to minimize. It could be the losses, the copper volume, etc.
- Determine the constraints to impose, such as some geometry limits, number of turns, voltage range, etc.
- Research the set of solutions minimizing the cost function. The Software Pro@DESIGN (Reference) as been used in this application.

### 5. APPLICATION

The application is based on the following data :

$P_u$  = useful power transferred = 500 kW

$U_1 = 12'000$  V

$a_1 = a_2 = 1$  m

$l_2 = 20$  m

$d = 0,02$  m = 20 mm

Moreover, some parameters are imposed :

- The primary current density = 2 A/mm<sup>2</sup>
- The secondary current density = 1 A/mm<sup>2</sup>

The main results obtained are :

|                               |                     |
|-------------------------------|---------------------|
| Primary copper section        | 358 mm <sup>2</sup> |
| Secondary copper section      | 264 mm <sup>2</sup> |
| Primary coil length           | 122 m               |
| Efficiency (transformer only) | 98.44%              |
| Primary copper losses         | 7.04 kW             |
| Secondary copper losses       | 0.886 kW            |

|                               |          |
|-------------------------------|----------|
| Turn number of secondary coil | 2        |
| Secondary voltage             | 1900 V   |
| Frequency                     | 12300 Hz |

## 6. PARAMETRIC ANALYSIS

The software Pro@DESIGN allows to calculate a parametric sensitivity in order to show the main tendencies.

In Figure 4, the transferred power  $P_u$  is represented as a function of the distance  $d$  between the coils, from 10 to 30 mm, with a relatively low variation for a constant load resistance.

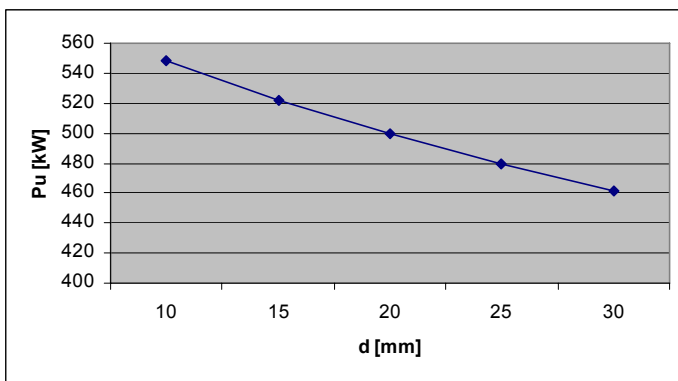


Figure 4: Transferred power as a function of coil distance  $d$ .

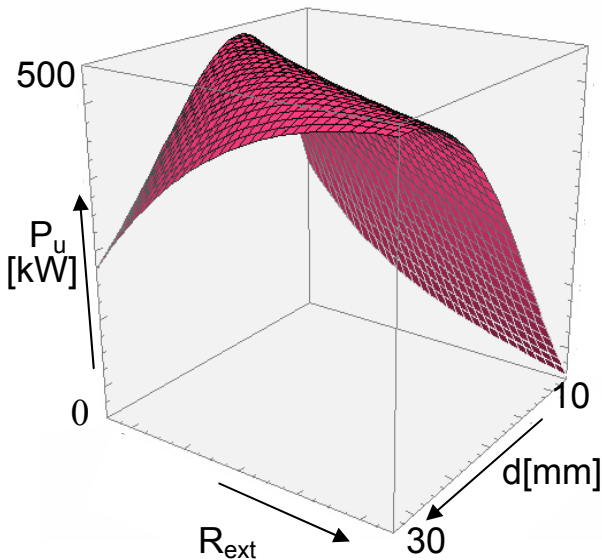


Figure 5: Transferred power as a function of coil distance  $d$  and external load

Figure 5 shows a 3D picture, corresponding to the load  $R_{ext}$  adaptation with a gap between 10 and 30 mm. It is so possible to maintain the power at 500kW.

Figure 6 presents the influence of the primary coil length  $l_1$  on the transferred power, with a constant load. An important reduction occurs with the length increase. A transferred power of 500 kW remains possible until 320 m, with a frequency and load adaptation.

Figure 7 shows the variation of power as a function of the load  $R_{ext}$ .

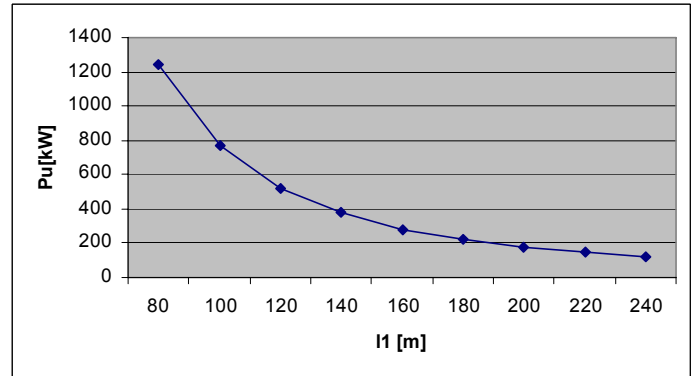


Figure 6: Transferred power as a function of primary coil length  $l_1$ .

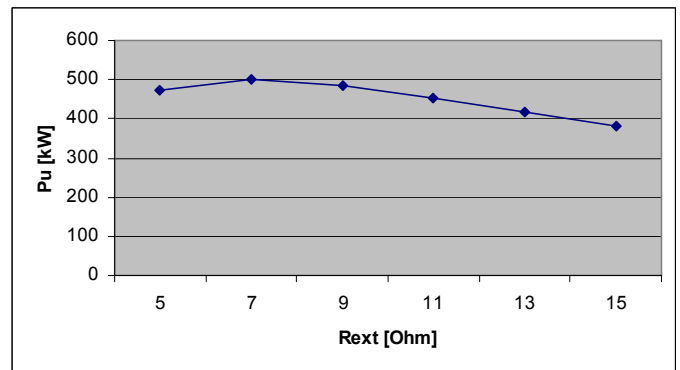


Figure 7: Transferred power as a function of external load  $R_{ext}$

Figure 8 describes, in a 3D form, the influence of frequency and load on the transferred power  $P_u$ . The plane with a value of 500 kW is represented.

Figure 9 shows the corresponding variation of efficiency (very small, from 98.5% to 98%) corresponding to powers from 500kW to 200kW.

Figure 10 presents the efficiency variation as a function of the distance between the coils, from 10 to 30mm, (very small, from 98.52 to 98.35%).

Figure 11 shows the effect of the primary length  $l_1$  on the efficiency, which varies from 98.85% with 80 m to 97.15% with 240 m.

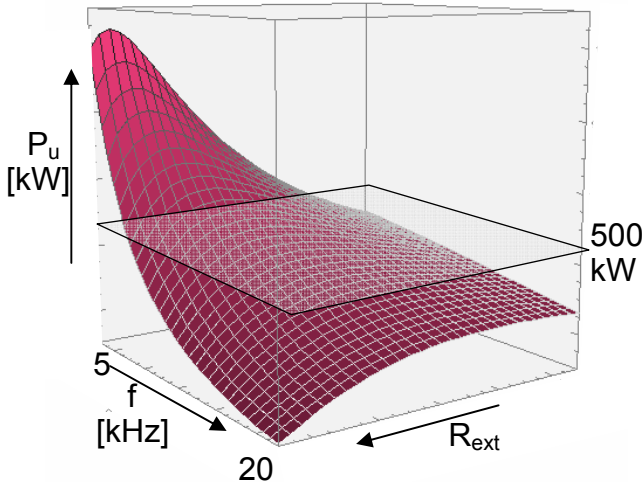


Figure 8: Transferred power as a function of external load  $R_{ext}$  and frequency  $f$ .

Figure 12 shows the influence of the secondary number of turns on the transferred power for 1,2 and 3 turns.

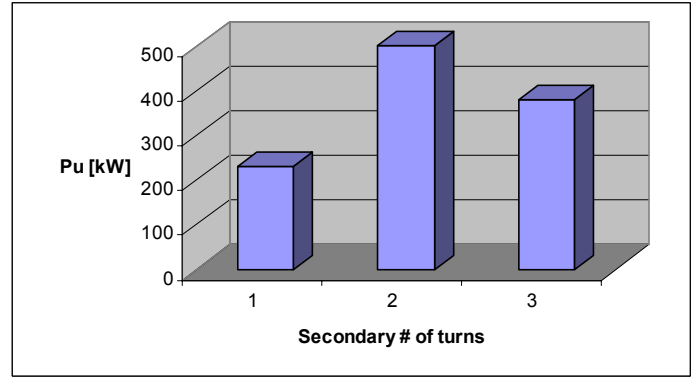


Figure 12: Transferred power as a function of secondary coil turn number.

All these parametric studies give information on a final choice and sensitivity to parameters varying in operation, such as coil distance  $d$  and load resistance  $R_{ext}$ .

## 7. CONCLUSION

The presented solution, if more expensive than those used for Maglev such as Transrapid and MLX, have the advantage to assure the transfer at any speed, including standstill and so to spare an important weight of batteries.

The described model, introduced in an efficient optimization software Pro@DESIGN, is very flexible and efficient to choose the different parameters.

## REFERENCES:

Macabrey Nicolas, 1998, "Alimentation et guidage linéaires sans contact", PHD report – EPFL (dir. by Prof. Marcel Jufer)  
 Jufer M., Macabrey N., Germano P., Perrottet M., July 1998, "Contactless Energy Transmission for Moving Drive", Proceedings 27th Annual Symposium on Incremental Motion Control Systems and Devices (IMCSD), San Jose (Ca), , pp 47-53.  
 Jufer M., Macabrey N., Perrottet M., 1998, "Modeling and test of contactless inductive energy transmission", Mathematics and Computers in Simulation, 46, , pp. 197-211.  
 Cassat A., Macabrey N., Jufer M., April 1998, "Electromechanical Aspects of the Swissmetro Pilot Track Geneva-Lausanne", 15th International Conference on Magnetically Levitated Systems and Linear Drives (MAGLEV'98), pp. 116-121  
 Cassat A., Rosenmayr M., Macabrey N., Jufer M., June 7-10, 2000, "Swissmetro and Transrapid - Comparison of Electromechanical Components and the Power Supply in a Specified Vacuum Tunnel Environment", Proceedings 16th International Conference on Magnetically Levitated systems and Linear Drives, MAGLEV'2000, Brazil.  
 Pro@DESIGN, Design Processing Technology, <http://www.designprocessing.com/>

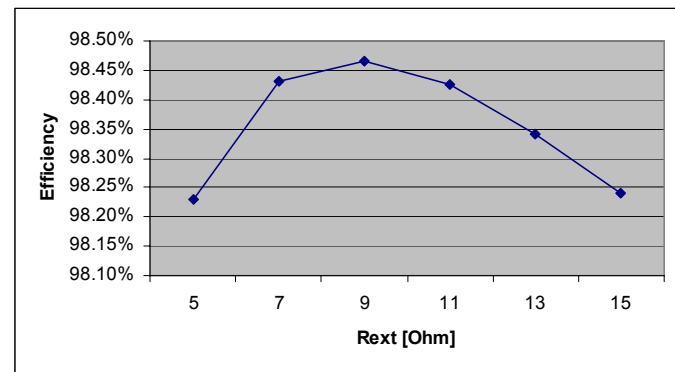


Figure 9: Efficiency as a function of external load  $R_{ext}$ .

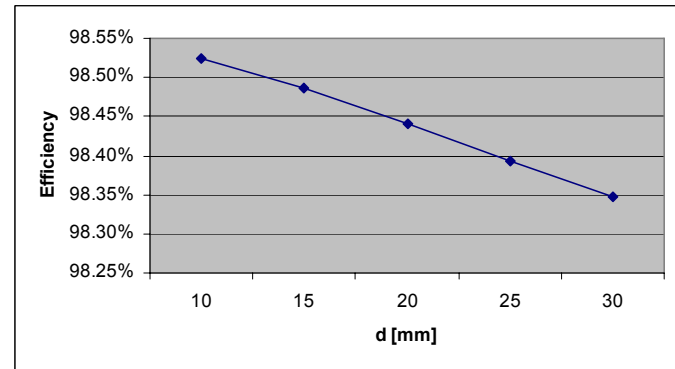


Figure 10: Efficiency as a function of coil distance  $d$ .

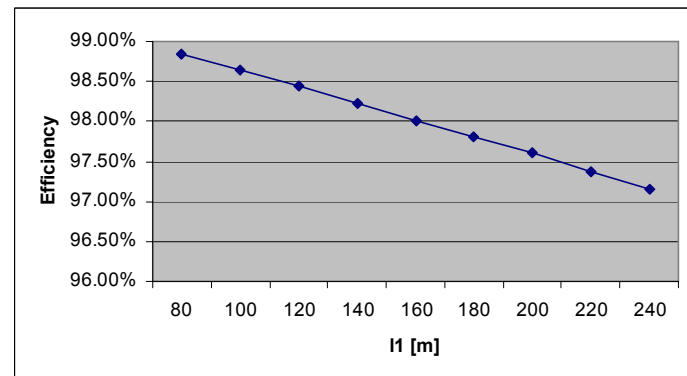


Figure 11: Efficiency as a function of primary coil length  $l_1$ .